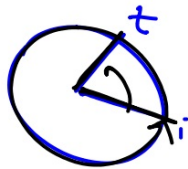


Trig 6.2

Find linear and angular velocity

revolution  $1 \text{ rev} = 360^\circ = 2\pi \text{ rad.}$

central angle



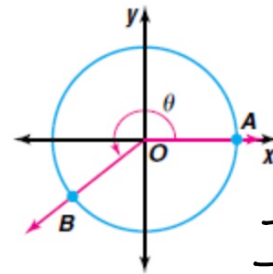
radians

angular displacement  $\text{initial} \rightarrow \text{terminal}$

angular velocity  $\frac{1 \text{ rev}}{18 \text{ sec}} = \frac{360^\circ}{18 \text{ s}} = \frac{2\pi}{18 \text{ s}}$

linear velocity  $= \frac{\text{dist}}{\text{time}}$

dimensional analysis



$$\frac{30^\circ}{10} = 3^\circ \text{ sec.}$$

$$\frac{\pi}{6} \quad \frac{\pi}{60} \text{ sec}$$

activity: parking lot  
bicycle wheel  
whiteboards

$$\frac{700 \cancel{\text{rev}}}{15 \text{ min}} \cdot \frac{2\pi}{1 \cancel{\text{rev}}} = 293.2 \frac{\text{rad}}{\text{min}} \underline{\underline{(\text{radians})}}$$

$\Omega$   $\omega$

Determine each angular velocity. Round to the nearest tenth.

8. 3.2 revolutions in 7 seconds

9. 700 revolutions in 15 minutes

$$\frac{3.2 \cancel{\text{rev}}}{7 \text{ s}} \cdot \frac{2\pi}{1 \cancel{\text{rev}}} = \frac{6.4\pi}{7} \approx 2.9 \frac{\text{rad}}{\text{s}}$$

### Linear Velocity

If an object moves along a circle of radius of  $r$  units, then its linear velocity,  $v$  is given by

$$v = r \frac{\theta}{t},$$

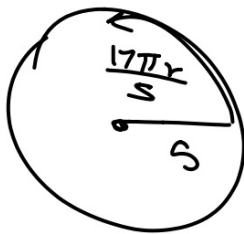
where  $\frac{\theta}{t}$  represents the angular velocity in radians per unit of time.

$$v = r \cdot \omega$$

how big is the circle?  
how fast is it rotating?  
radius\*angular velocity  
Must use RADIANS

$$V = r \cdot \omega$$

- 4 Determine the linear velocity of a point rotating at an angular velocity of  $17\pi$  radians per second at a distance of 5 centimeters from the center of the rotating object. Round to the nearest tenth.  $r$ .



$$V = r \cdot \omega$$

$$= 5 \text{ cm} \cdot \frac{17\pi}{s}$$

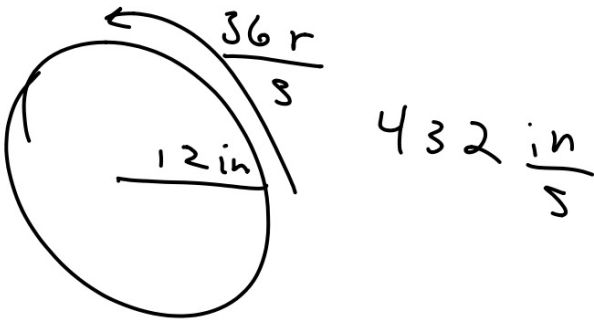
$$= 267.0 \frac{\text{cm}}{s}$$

how big is the circle?  
how fast is it rotating?  
radius \* angular velocity

$$v =$$

Determine the linear velocity of a point rotating at the given angular velocity at a distance  $r$  from the center of the rotating object. Round to the nearest tenth.

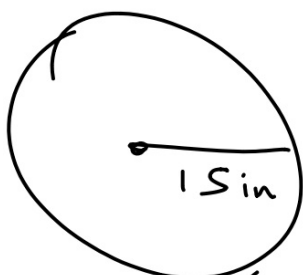
10.  $\omega = 36$  radians per second,  $r = 12$  inches



how big is the circle?  
how fast is it rotating?  
radius \* angular velocity

- 6 **CAR RACING** The tires on a race car have a diameter of 30 inches. If the tires are turning at a rate of 2000 revolutions per minute, determine the race car's speed in miles per hour (mph).

$$r = 15 \text{ in}$$



$$v = 15 \text{ in} \cdot \frac{2000 \text{ rev}}{\text{min}} \cdot \frac{2\pi \text{ rad}}{\text{rev}}$$

how big is the circle?  
how fast is it rotating?  
radius \* angular velocity  
dimensional analysis

$$188495.56 \frac{\text{in}}{\text{min}}$$

$$\frac{188495.56 \cancel{\text{in}}}{\cancel{\text{min}}} \cdot \frac{1 \cancel{\text{ft}}}{12 \cancel{\text{in}}} \cdot \frac{1 \text{ mile}}{5280 \cancel{\text{ft}}} \cdot \frac{60 \cancel{\text{min}}}{1 \text{ hr}}$$

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P 3SS  
13-33 odds