

Precalc 11.1

Graph exponential functions and inequalities

Solve problems involving exponential growth and decay

exponent

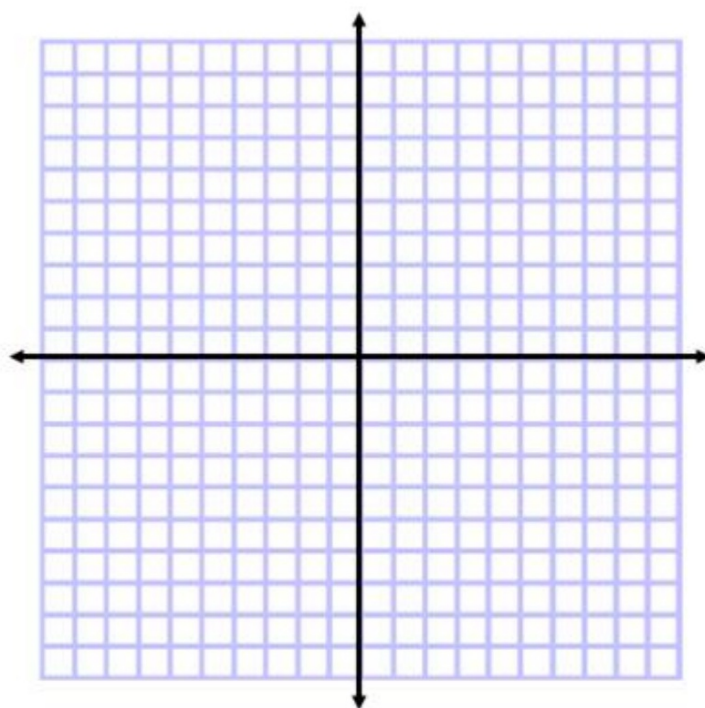
base

exponential change

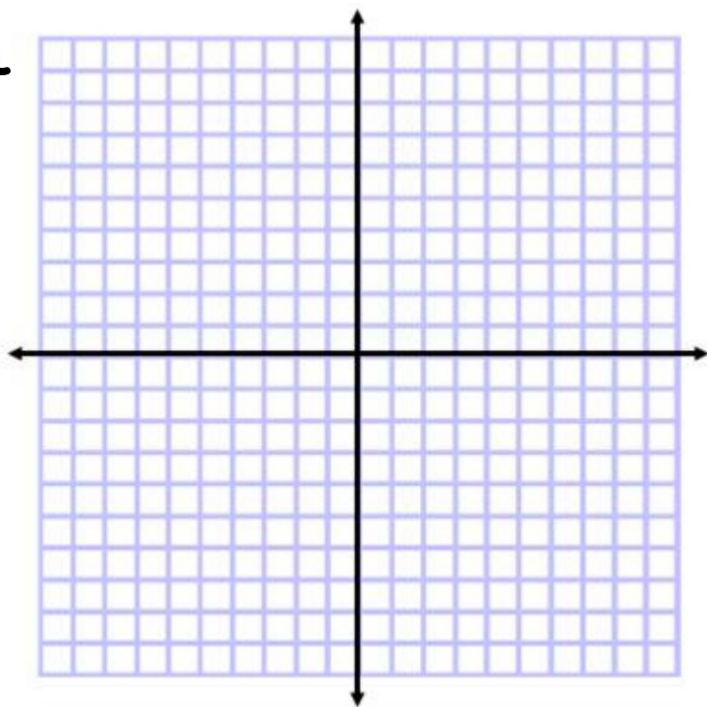
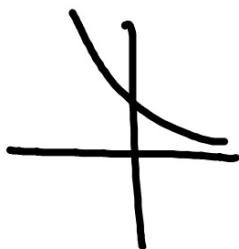
$A_0$ ,  $N_0$ , etc.

- 1 a. Graph the exponential functions  $y = 4^x$ ,  $y = 4^x + 2$ , and  $y = 4^x - 3$  on the same set of axes. Compare and contrast the graphs.

$$y = 4^{(x-2)}$$



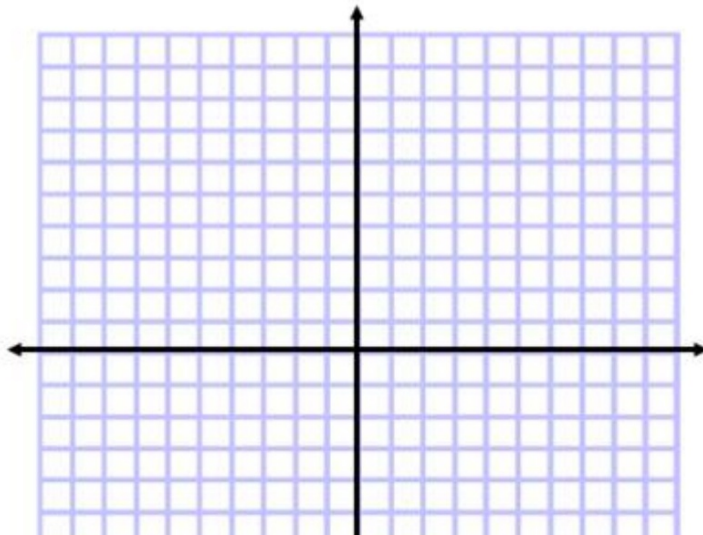
b. Graph the exponential functions  $y = \left(\frac{1}{5}\right)^x$ ,  $y = 6\left(\frac{1}{5}\right)^x$ , and  $y = -2\left(\frac{1}{5}\right)^x$  on the same set of axes. Compare and contrast the graphs.



**2 PHYSICS** According to Newton's Law of Cooling, the difference between the temperature of an object and its surroundings decreases in time exponentially. Suppose a certain cup of coffee is  $95^{\circ}\text{C}$  and it is in a room that is  $5^{\circ}\text{C}$ . The cooling for this particular cup can be modeled by the equation  $y = 90(0.875)^t$  where  $y$  is the temperature difference and  $t$  is time in minutes.

- Find the temperature of the coffee after 15 minutes.
- Graph the cooling function.

$$\begin{array}{r} 95 \\ - 12.4 \\ \hline \end{array}$$



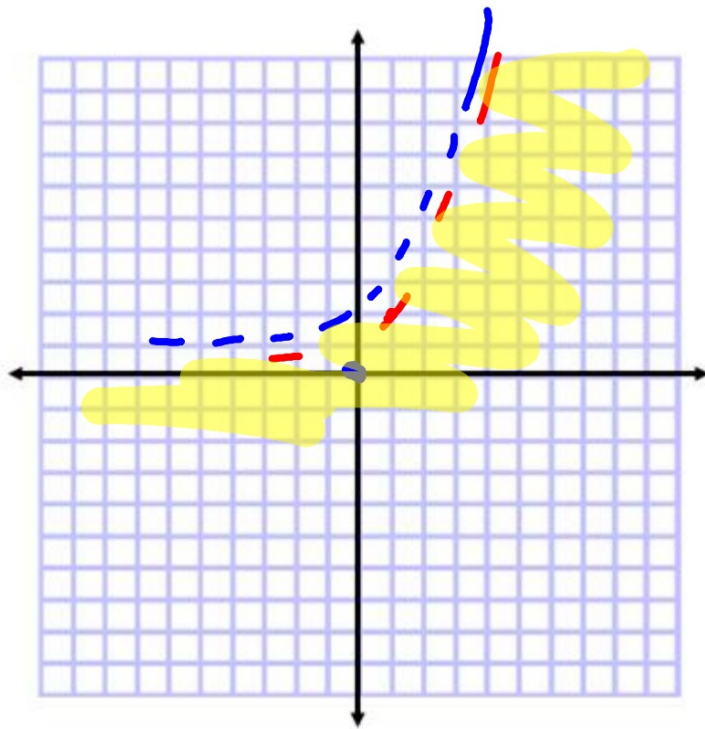
- 4 **FINANCE** Determine the amount of money in a money market account providing an annual rate of 5% compounded daily if Marcus invested \$200 and left it in the account for 7 years.

$$A = P \left( 1 + \frac{r}{n} \right)^{nt}$$
$$A = 200 \left( 1 + \frac{.05}{365} \right)^{365 \cdot 7}$$
$$= \$283.81$$

$$0 < 2^0 + 1$$

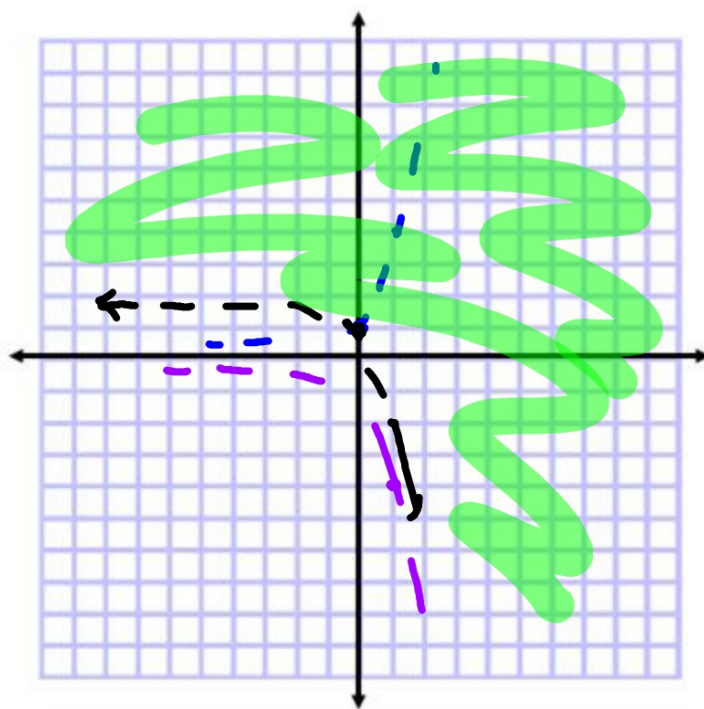
5 Graph  $y < 2^x + 1$

$$y = 2^x + 1$$

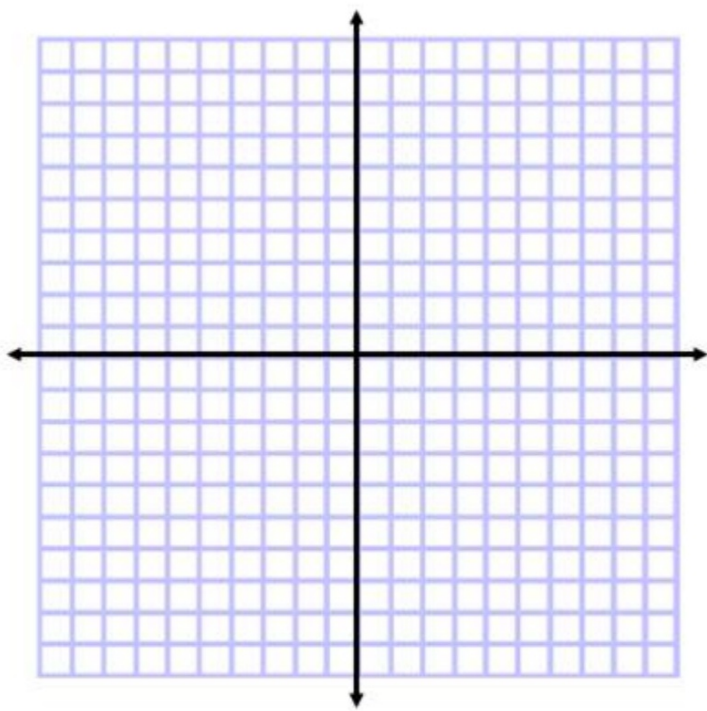


15.  $y > -4^x + 2$

$0 > -1 + 2$   
 $0 > 1$



17.  $y \leq \left(\frac{1}{2}\right)^x$





\$ 1000

Suppose your godmother invests some money for you on the day you are born. The money earns an average rate of 14% per year in the stock market. You never add any more, or take any out until your 65th birthday. Your godmother wants you to be a millionaire at age 65. How much is the initial investment?

$$? = 1000 \left( 1 + \frac{.14}{365} \right)^{365 \cdot 65}$$

↑  
23725

$$1,000,000 = ? \cdot \left( 1 + \frac{.08}{365} \right)^{23725}$$

$n(181.17)$

