

$$y = a(x - h)^2 + k$$

Algebra 2 4.7

Write a quadratic function in **vertex form**

Transform quadratic functions

quadratic

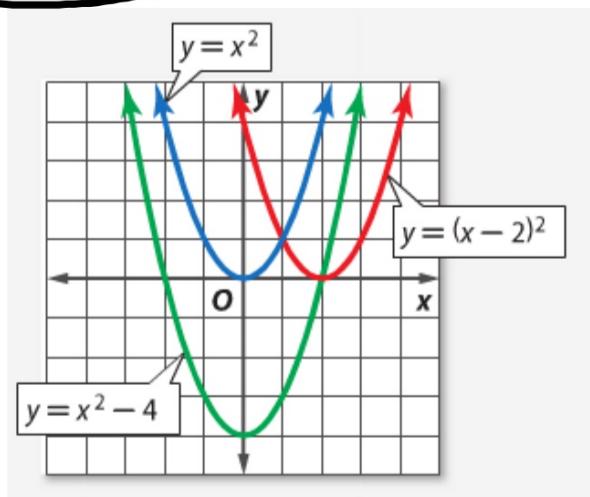
vertex

completing the square

vertex form

parent graph

transformation (Ch. 2.7)



Write in vertex form, identify the vertex.

(x,y)

Guided Practice

1A. $y = x^2 + 4x + 6$

$$y - \text{int} = c \\ = 6$$

$$y - 6 = x^2 + 4x + 4$$

$$y - 2 = (x+2)^2 + 2$$

$$y = (x+2)^2 + 2$$

$$y - \text{int} (0, 6)$$

$$V(-2, 2)$$

AOS $x = -2$
opens up

1B. $y = \boxed{2x^2 - 12x} + 17$
-17

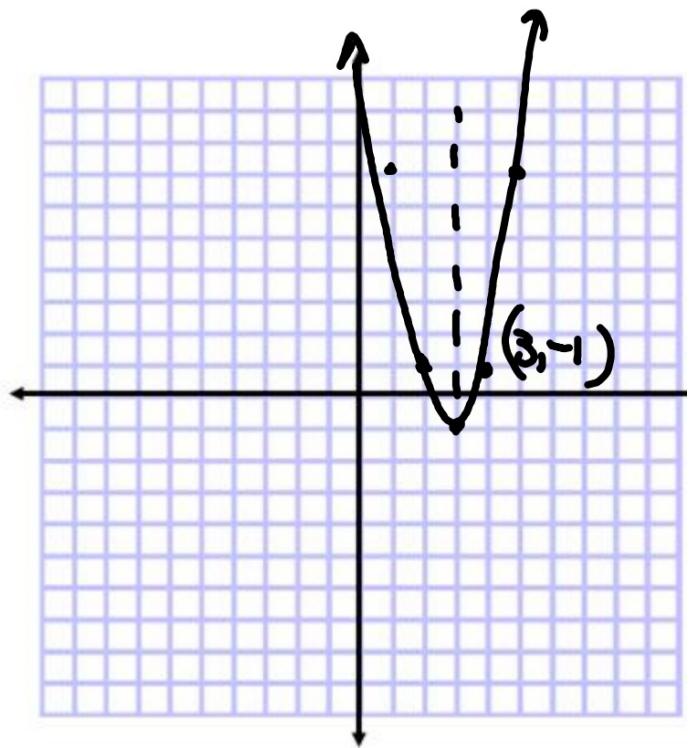
Write in vertex form, identify the vertex.

$$y - 17 = 2(x^2 - 6x + 9)$$

$$x - 3$$

$$y + 1 = 2(x - 3)^2$$

$$y = 2(x - 3)^2 - 1$$



Write each function in vertex form.

1. $y = x^2 + 6x + 2$

Identify the vertex.

2. $y = -2x^2 + 8x - 5$

~~$$y = (x-3)(x-1)$$~~

$y = (x-2)^2 - 2$

$$y = x^2 - 4x + 3$$

$$y-3 = x^2 - 4x + 4$$

$$y+1 = (x-2)^2$$

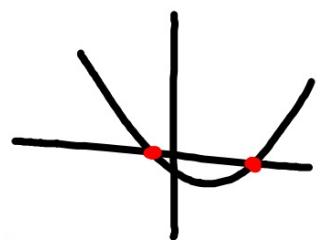
$$y = (x-2)^2 - 1$$

f.f. x -int

gf y -int

$$(x+1)(x-3)$$

rf vertex
(CTS)



From Ch. 2.7...

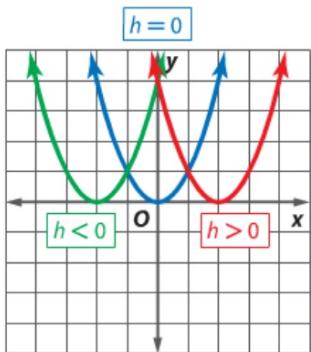
ConceptSummary Transformations of Quadratic Functions



$$f(x) = a(x - h)^2 + k$$

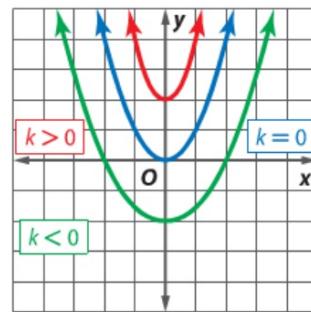
h, Horizontal Translation

h units to the right if h is positive
 $|h|$ units to the left if h is negative



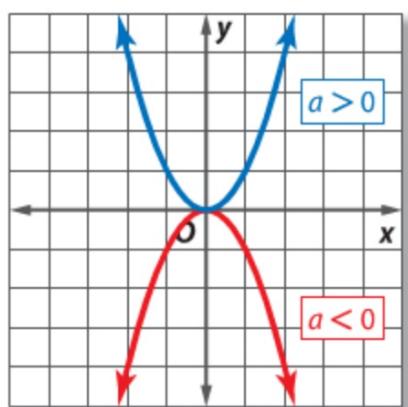
k, Vertical Translation

k units up if k is positive
 $|k|$ units down if k is negative



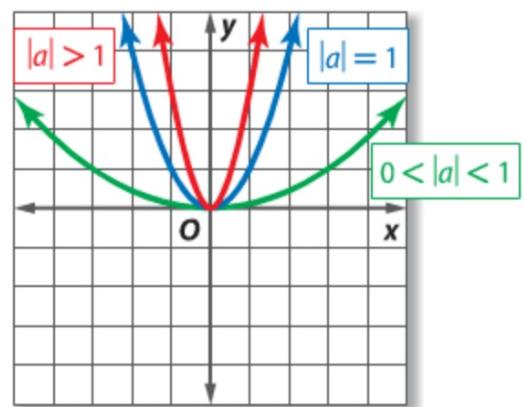
a, Reflection

If $a > 0$, the graph opens up.
If $a < 0$, the graph opens down.



a, Dilation

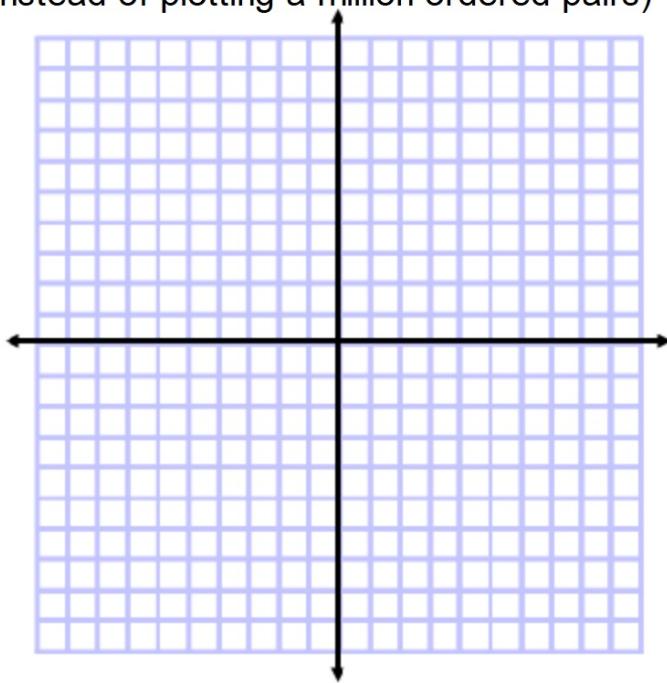
If $|a| > 1$, the graph is stretched vertically. If $0 < |a| < 1$, the graph is compressed vertically.



Graph: use parent graph (instead of plotting a million ordered pairs)

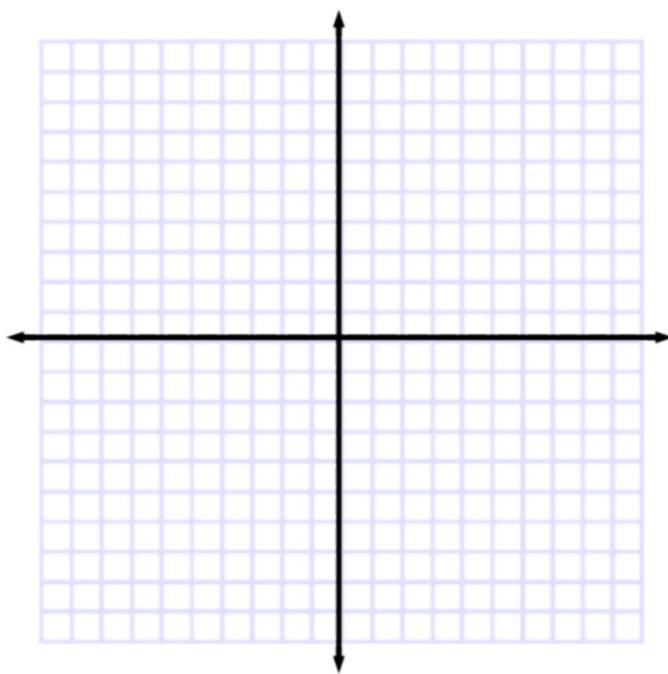
Guided Practice

3A. $y = (x - 3)^2 - 2$



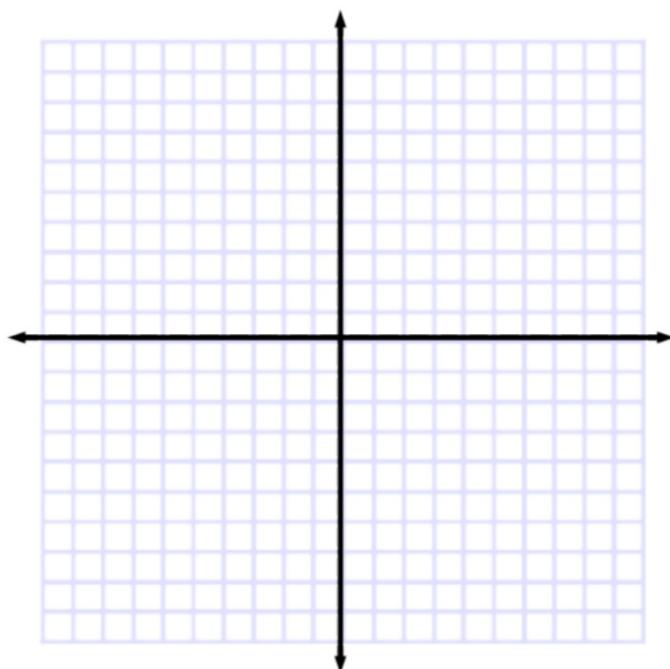
Graph each function.

5. $y = (x - 3)^2 - 4$

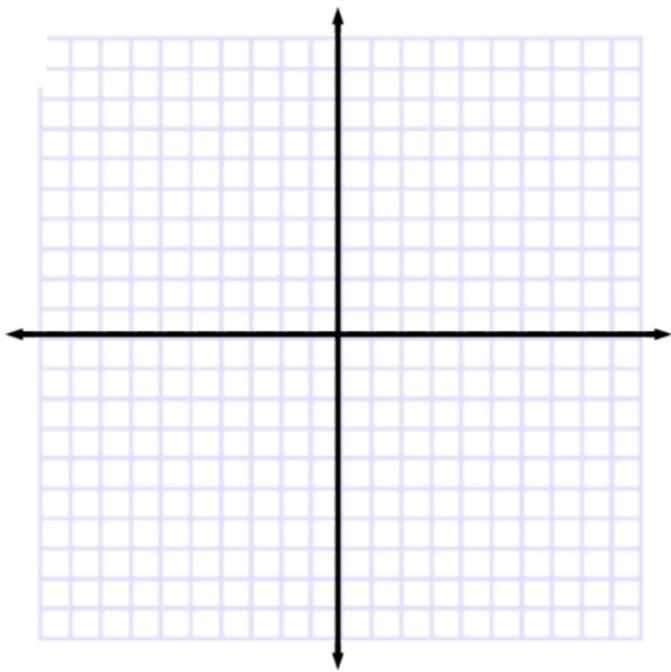


14. $y = 2x^2 - 4x - 3$

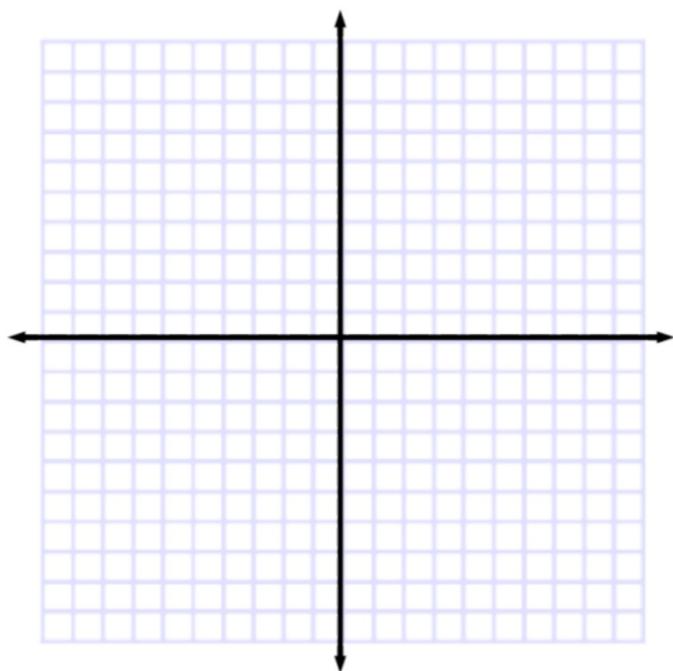
Write equation in vertex form and graph
Parent graph?



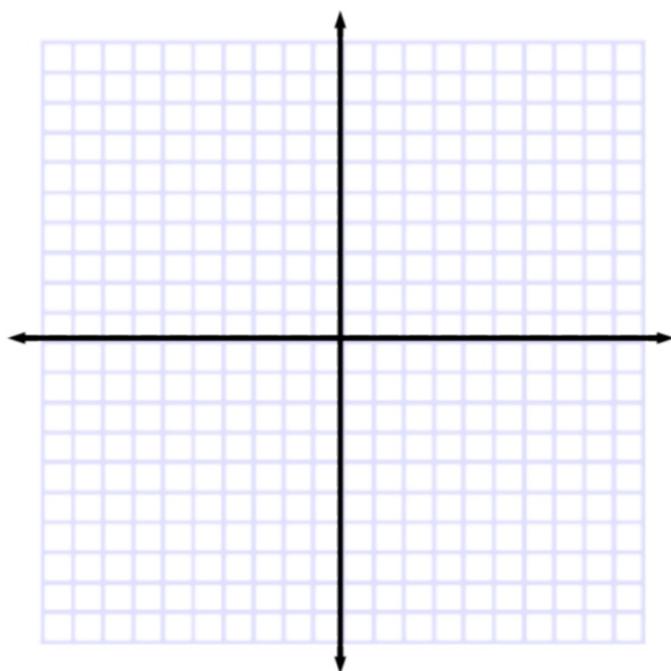
15. $y = 3x^2 + 10x$



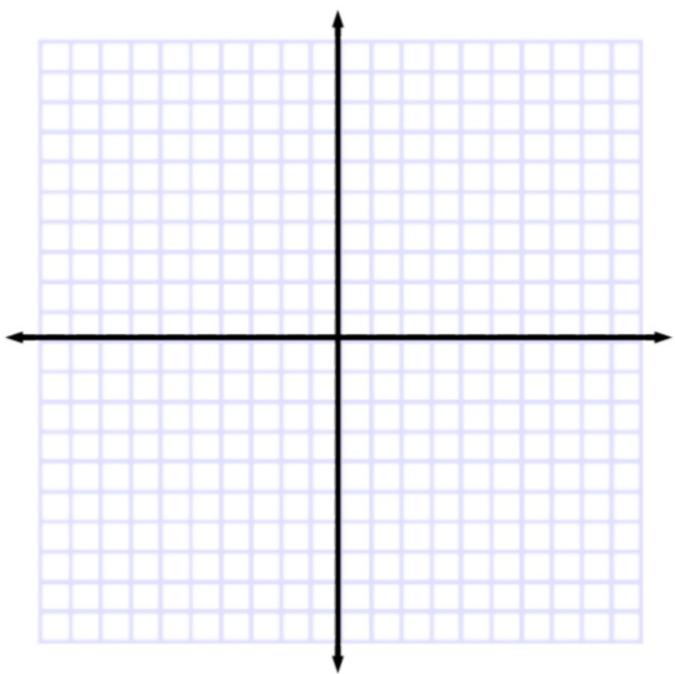
3. $y = 4x^2 + 24x + 24$



6. $y = -2x^2 + 5$



7. $y = \frac{1}{2}(x + 6)^2 - 8$



3B. $y = 0.25(x + 1)^2$

